



Correcting Long-Reads with k-mers: A Dream Comes True

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- 1 Introduction
- 2 PanCov-Correct
- 3 Pcon & Br
- 4 Take home message

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Remark: *k*-mers based methods work well on short-read and on hybrid correction data

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PanCov project goal: detect variants in COVID-19 samples

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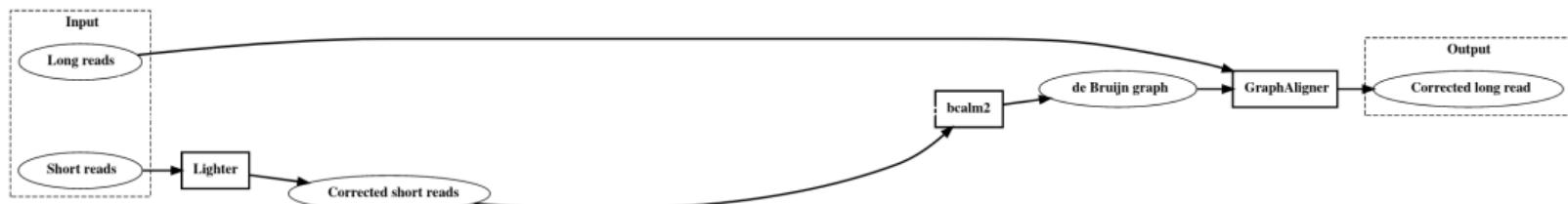
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- reverse transcript amplified COVID-19
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- 300bp !!! (due to lab protocol)
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- \approx 7% error
- strand bias
- strain mixture

PanCov-Correct goal: correct reads will keep variants, especially low-abundance strains

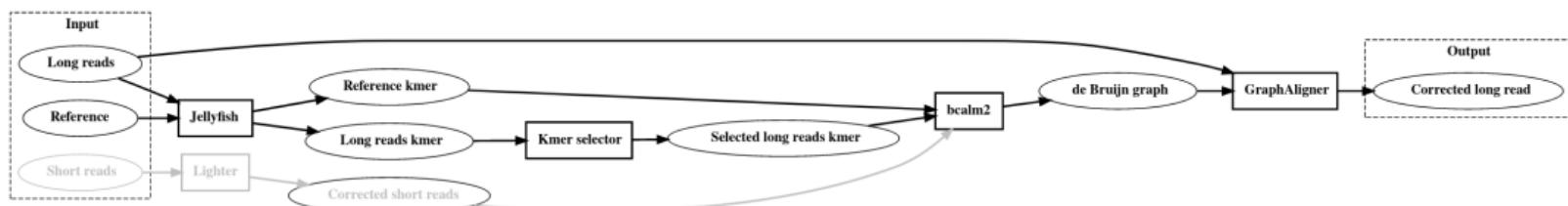
PanCov-Correct: Overview

GraphAligner hybrid correction pipeline:

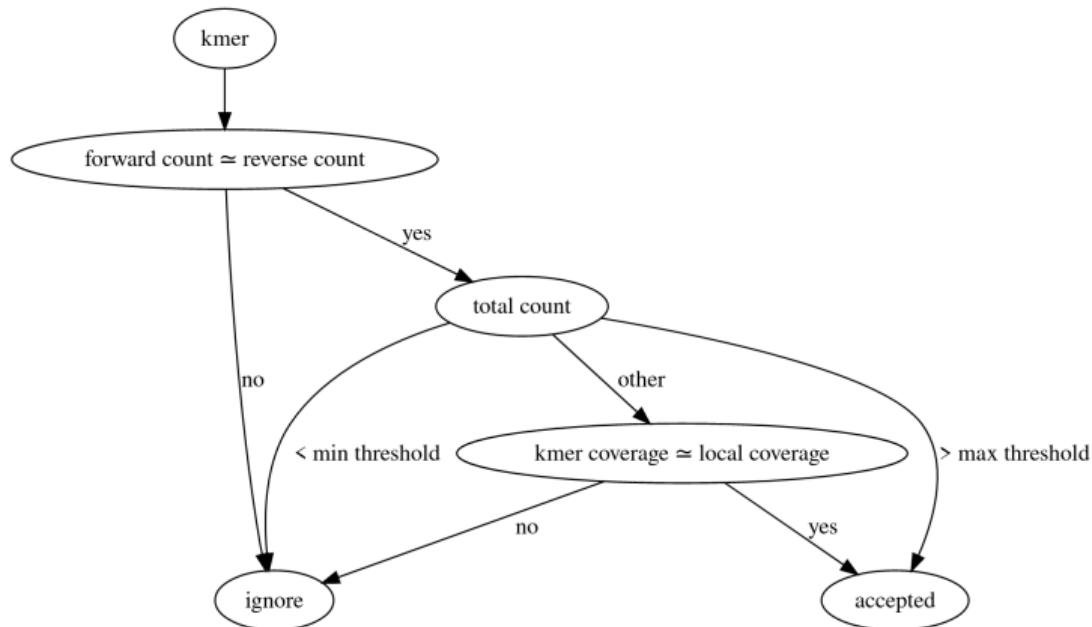


PanCov-Correct: Overview

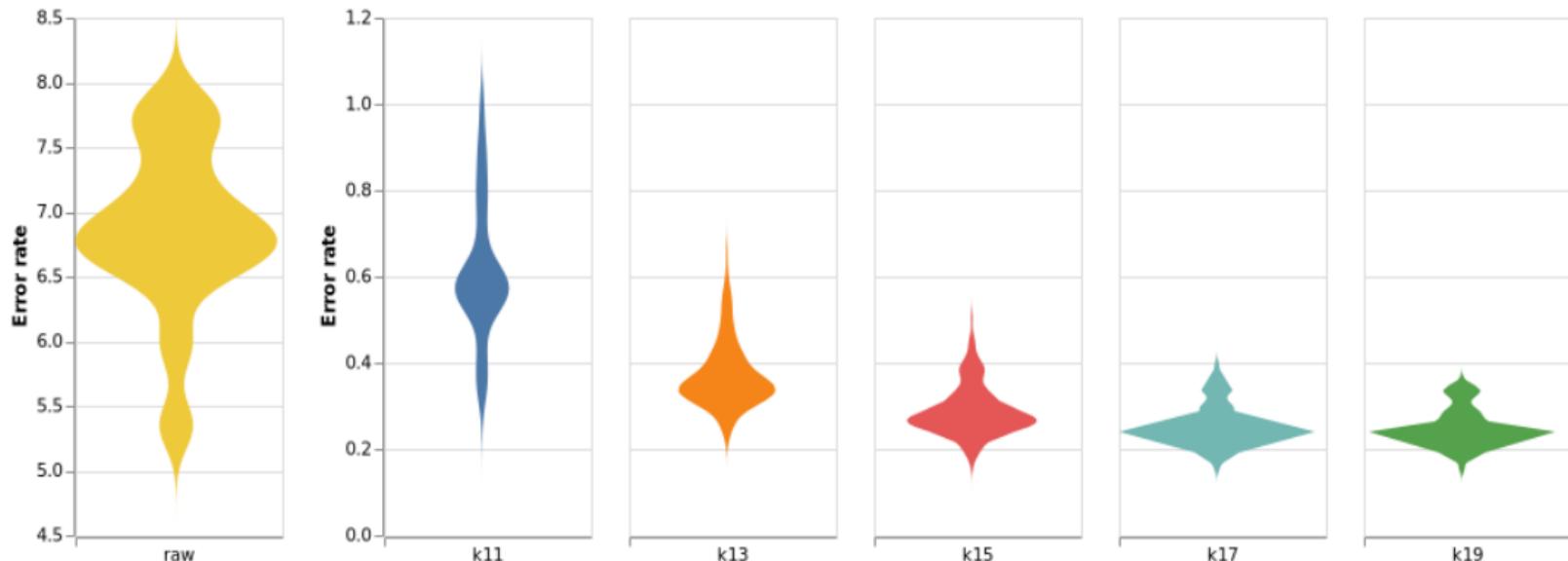
GraphAligner hybrid correction pipeline:



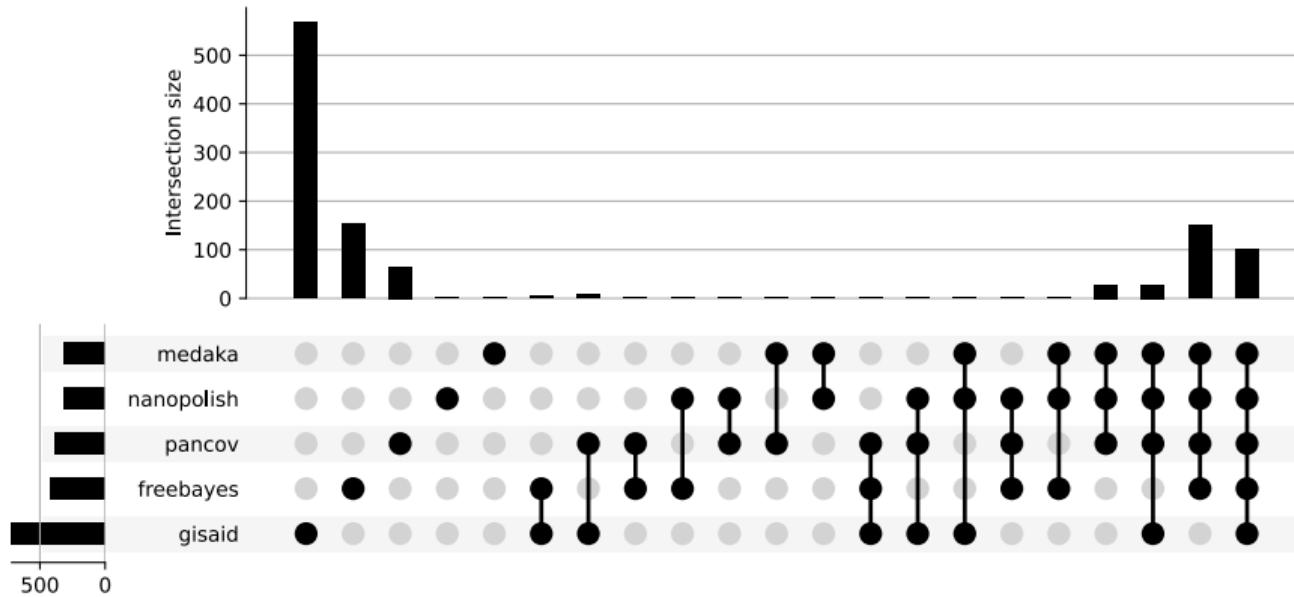
PanCov-Correct: k -mers selection



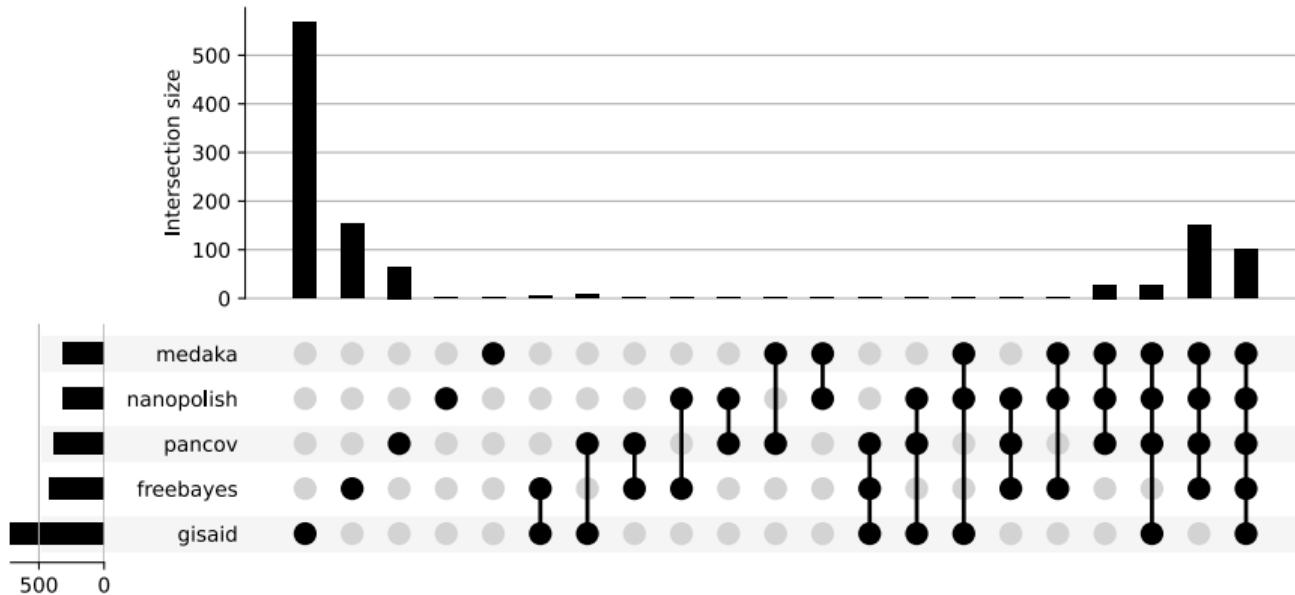
PanCov-Correct: Error rate



PanCov-Correct: Variant calling



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Awaiting illumina sequencing for confirmation

On **our** data PanCov-Correct:

- Reduces error rate
- Retains low covered variants
- Retains *heterozygote* variants

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Future:

- Standalone tools
- Reference free usage
- Test on other organisms and common reads
- Running time optimization

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Pcon uses a hash function k -mer $\rightarrow [0, \frac{4^k}{2}]$, if k is odd

We define several functions:

- *kmer2bin* converts a DNA string into two bits A \rightarrow 00, C \rightarrow 01, G \rightarrow 11 and T \rightarrow 10
- *revcomp* performs the reverse complement for a binary representation of k -mer
- *popcount* count number of 1 in binary representation of a number

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<i>kmer2bin(AGC)</i>	\rightarrow	00 11 01
<i>revcomp(00 11 01)</i>	\rightarrow	11 01 10
<i>popcount(00 11 01)</i>	\rightarrow	3
<i>popcount(11 01 10)</i>	\rightarrow	4

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hash (*kmer*)

```
bin = kmer2bin(kmer)
if popcount(bin) % 2 == 0 then
    return bin » 1
else
    return revcomp(bin) » 1
```

kmer2bin(AGC)	\rightarrow	00 11 01
revcomp(00 11 01)	\rightarrow	11 01 10
popcount(00 11 01)	\rightarrow	3
popcount(11 01 10)	\rightarrow	4
hash(AGC)	\rightarrow	11 01 1

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hash (*kmer*)

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bin = kmer2bin(kmer)
if popcount(bin) % 2 == 0 then
    return bin » 1
else
    return revcomp(bin) » 1
```

count (*sequences*)

```
count = [0] ×  $\frac{4^k}{2}$ 
foreach sequence  $\in$  sequences do
    foreach kmer  $\in$  sequence do
        count[hash(kmer)] += 1
return count
```

① Count k -mers

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- ② Analyse k -mers spectrum to find minimal abundance threshold
- ③ Creation of a bitfield set.
- ④ If k -mer count is higher than the minimal abundance threshold k -mer is added to bitfield.
- ⑤ Over each sequence apply correction algorithms

One: correct isolate error (musket algorithm with modification to support indel)

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TGGTAGTA~~G~~TTACGA

Graph: search a simple path in *DeBruijn* graph between k -mer around error

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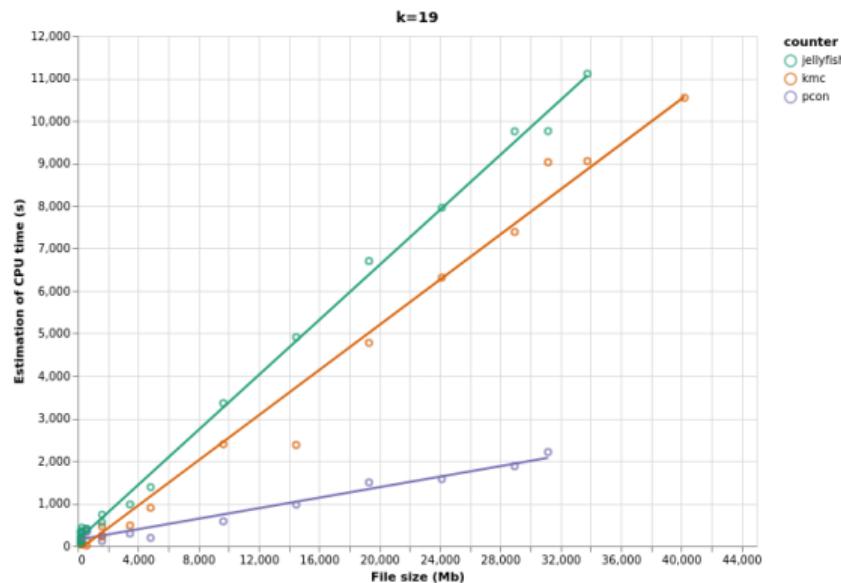
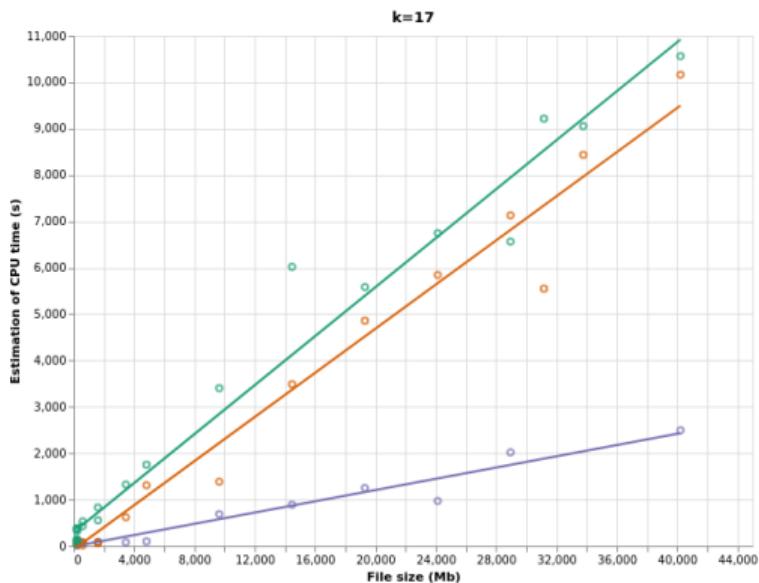
Greedy: get N in *DeBruijn* graph perform a pairwise alignment to check it's correct

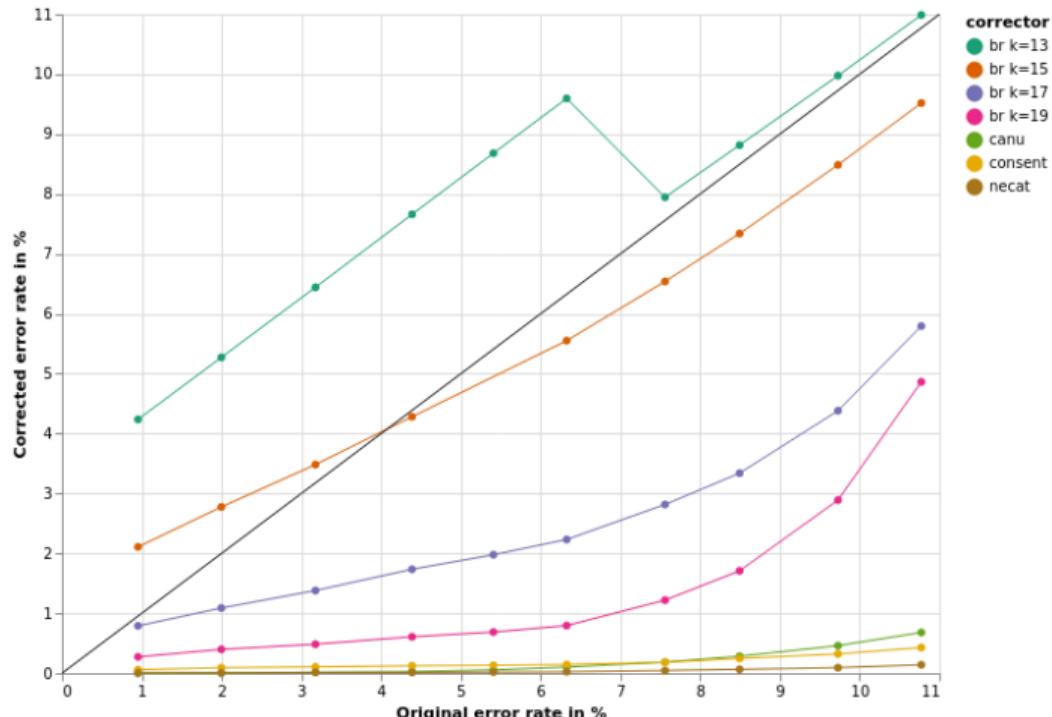
Codename	Organism	Technology	Error rate	Coverage
bacteria	<i>E. coli</i>	ONT R10.0	14.7%	$\approx 127x$
bacteria5	<i>E. coli</i>	ONT R10.3	5.9%	$\approx 54x$
bacteria7	<i>E. coli</i>	ONT R10.3	7.7%	$\approx 127x$
metagenome	metagenome	ONT R10.3	10.8%	
yeast	<i>S. cerevisiae</i>	ONT R10.3	8.3 %	$\approx 283x$
synthetic	<i>E. coli</i>	Badreads	*	$\approx 50x$
celegans	<i>C. elegans</i>	Badreads	5 %	**

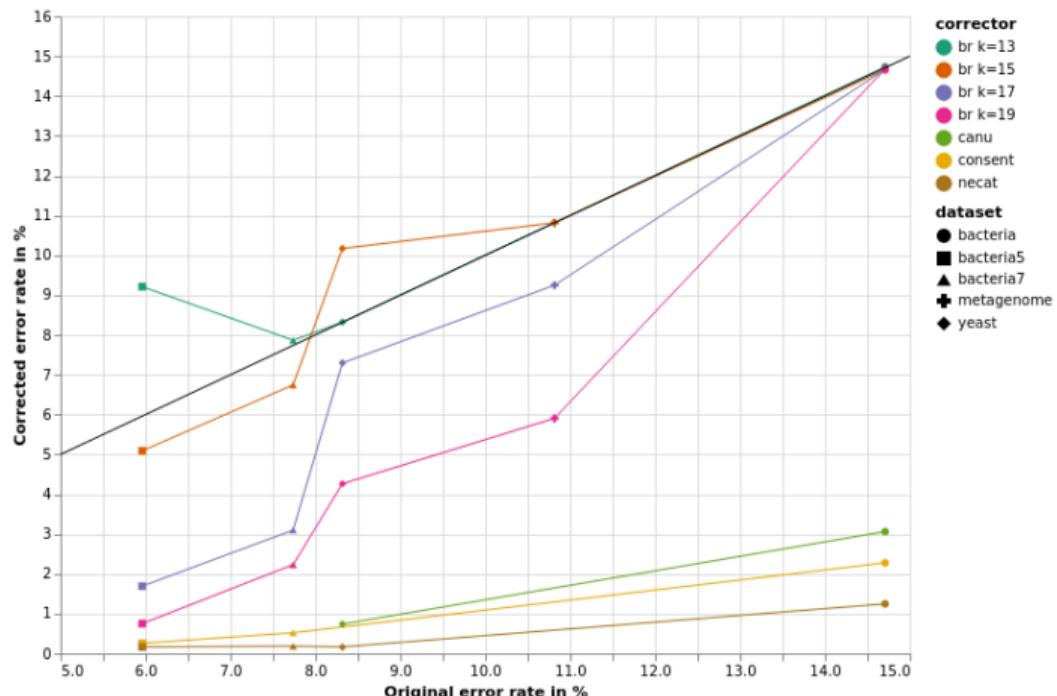
*: 1% to 10% per 1% step

**: 16x, 20x, 50x to 400x per 50x step

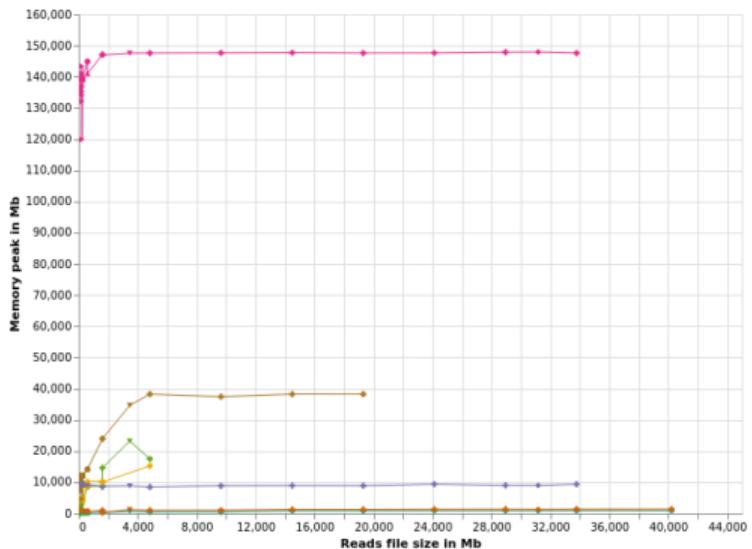
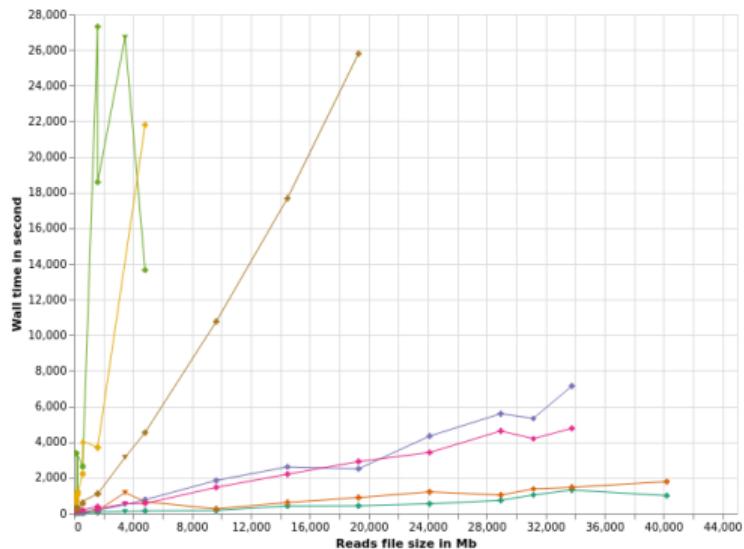
Pcon: Runtime and memory







Br: Runtime and memory



Conclusion: Pcon & Br

Pcon count k -mer faster than other tools but:

- only odd k -mer size
- small k -mer $k=13 \rightarrow 32\text{Mb}$ $k=21 \rightarrow 2\text{Tb}$
- only canonical form

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- only canonical form

Br very fast but less efficient than other, future:

- other algorithms, **Two**, **Greedier**,
- use different set structure \rightarrow use larger kmer
- heterozygosity should be preserved, we have to check
- read filtering, scrubbing, contig polishing,
- hybrid correction

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Take Home Message

We can correct long-reads with long-reads *k*-mers:

- with long-read hybrid correction method → PanCov-Correct
- with short-read correction method → Pcon & Br
- do you have any new ideas?

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Improvement of raw reads quality will help us

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- with short-read correction method → Pcon & Br
- do you have any new ideas?

Improvement of raw reads quality will help us

No biorxiv, github link or bioconda logo here we are still in write/development

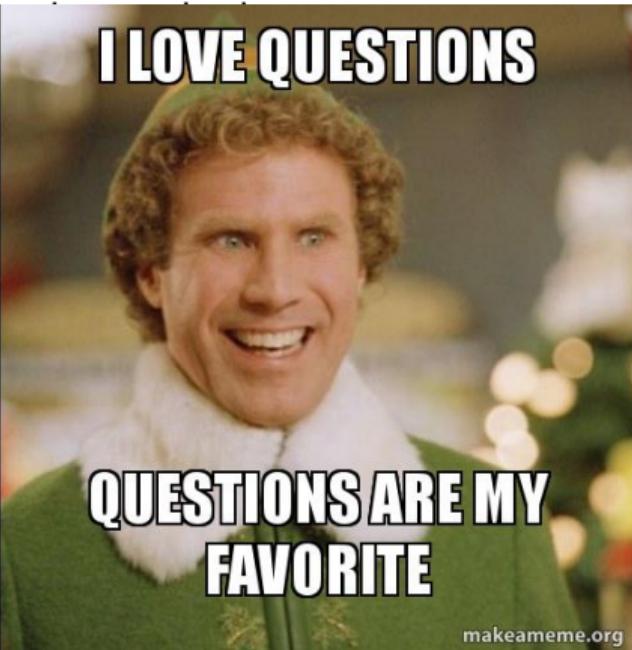
Take Home Message

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- with long-read hybrid corr
- with short-read correction
- do you have any new idea

Improvement of raw reads

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development

Input: TGGTAG**T**CCTTACGA

✓ TGGTA

Input: TGGTAG**T**CCTTACGA

- ✓ TGGTA
- ✓ GGTAG

Input: TGGTAG**T**CCTTACGA

- ✓ TGGTA
- ✓ GGTAG
- ✗ GTAGT

Input: TGGTAG**T**CCTTACGA

- ✓ TGGTA
- ✓ GGTAG
- ✗ GTAGT
- ✗ GTAGC
- ✗ GTAGA
- ✓ GTAGG

Input: TGGTAG**T**CCTTACGA

✓	TGGTA
✓	GGTAG
✗	GTAGT
✗	GTAGC
✗	GTAGA
✓	GTAGG
✓	TAGGC
✓	AGGCC

Input: TGGTAGT**T**CCTTACGA

✓ TGGTA
✓ GGTAG
✗ GTAGT
✗ GTAGC
✗ GTAGA
✓ GTAGG
✓ TAGGC
✓ AGGCC

Output: TGGTAG**G**CCTTACGA

Input: TGGTAGT**C**CTTACGA

✓	TGGTA
✓	GGTAG
✗	GTAGT
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✓	TAGGC
✓	AGGCC

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✓	TGGTA
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✗	AGGCG

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Output: TGGTAG**G**CCTTACGAInput: TGGTAG**T**C**G**TTACGA

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✗	GTAGA
✓	GTAGG
✓	TAGGC
✗	AGGCG

Output: TGGTAG**T**C**G**TTACGA

Input:	TGGTAG T CCTTACGA	Input:	TGGTAG T CGTTACGA	Input:	TGGTAG T CCTTACGA
✓	TGGTA	✓	TGGTA	✓	TGGTA
✓	GGTAG	✓	GGTAG	✓	GGTAG
✗	GTAGT	✗	GTAGT	✗	GTAGT
✗	GTAGC	✗	GTAGC	✗	GTAGC
✗	GTAGA	✗	GTAGA	✓	GTAGA
✓	GTAGG	✓	GTAGG	✓	GTAGG
✓	TAGGC	✓	TAGGC		
✓	AGGCC	✗	AGGCG		
Output:	TGGTAG G CCTTACGA	Output:	TGGTAG T CGTTACGA		

Input:	TGGTAG T CCTTACGA	Input:	TGGTAG T C G TTACGA	Input:	TGGTAG T C C TTACGA
✓	TGGTA	✓	TGGTA	✓	TGGTA
✓	GGTAG	✓	GGTAG	✓	GGTAG
✗	GTAGT	✗	GTAGT	✗	GTAGT
✗	GTAGC	✗	GTAGC	✗	GTAGC
✗	GTAGA	✗	GTAGA	✓	GTAGA
✓	GTAGG	✓	GTAGG	✓	GTAGG
✓	TAGGC	✓	TAGGC		
✓	AGGCC	✗	AGGCG		
Output:	TGGTAG G CCTTACGA	Output:	TGGTAG T C G TTACGA	Output:	TGGTAG T C C TTACGA

Input:	TGGTAG T CCTTACGA	Input:	TGGTAG T C G TTACGA	Input:	TGGTAG T C C TTACGA
✓	TGGTA	✓	TGGTA	✓	TGGTA
✓	GGTAG	✓	GGTAG	✓	GGTAG
✗	GTAGT	✗	GTAGT	✗	GTAGT
✗	GTAGC	✗	GTAGC	✗	GTAGC
✗	GTAGA	✗	GTAGA	✓	GTAGA
✓	GTAGG	✓	GTAGG	✓	GTAGG
✓	TAGGC	✓	TAGGC		
✓	AGGCC	✗	AGGCG		

Output: TGGTAG**G**CCTTACGAOutput: TGGTAG**T**C**G**TTACGAOutput: TGGTAG**T**C**C**TTACGA

$$\mathcal{O}(\text{set access}) = 4 + N$$

Br: Method Graph

Input: TGGTAG**TAG**TTACGA

GGTAG TTACG

Input: TGGTAG**TAG**TTACGA

✓ GGTAG TTACG
✓ GTAGG
✓ TAGGA
✓ AGGAC
✓ GGACT
✓ GACTT
✓ ACTTA
✓ CTTAC
✓ TTACG

Output: TGGTAG**GAC**TTACGA

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Criteria to stop graph exploration:

- number of successor $\neq 1$
- back on a k -mer seen before

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✓	GTAGG	
✓	TAGGA	
✓	AGGAC	
✓	GGACT	
✓	GACTT	
✓	ACTTA	
✓	CTTAC	
✓	TTACG	

Criteria to stop graph exploration:

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$$|\text{set access}| = 2 \times 8 = 2 \times (5 + 3)$$

Output: TGGTAG**GAC**TTACGA

Input: TGGTAG**TAG**TTACGA

✓	GGTAG	TTACG
✓	GTAGG	
✓	TAGGA	
✓	AGGAC	
✓	GGACT	
✓	GACTT	
✓	ACTTA	
✓	CTTAC	
✓	TTACG	

Output: TGGTAG**GAC**TTACGA

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$$\mathcal{O}(\text{set access}) = 2 \times (k\text{-mer size} + \text{error length})$$

Br: Method GapLength

Input: TGGTAG**TAG**TTACGA

GGTAG TTACG

Br: Method **GapLength**

Input: TGGTAG**TAG**TTACGA
 GGTAG **TTACG**

```
GapLength(begin, distance)
if distance == kmer size then
| One()
else if distance < kmer size then
| Graph()
else
| get_kmers(begin, distance - kmer size)

If distance > k-mer size:
 $\mathcal{O}(\text{set access}) = k\text{-mer size} + 2 \times \text{error length}$ 
```

Br: Method **GapLength**

Input: TGGTAG**TAG**TTACGA

✓ GGTAG TTACG
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✓ TAGGA
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Input: **TGGTAG**TAGTTACGA****

- ✓ GTAGG
- ✓ TAGGA
- ✓ AGGAC
- ✓ GGACT
- ✓ GACTT

Br: Method Greedy

Input: **TGGTAGTACGTTACGA**

- ✓ GTAGG
- ✓ TAGGA
- ✓ AGGAC
- ✓ GGACT
- ✓ GACTT

GTAG**TAGTT**
|||| | ||
GTAGGACTT

Br: Method Greedy

Input: **TGGTAG**TAG**TTACGA**

✓ GTAGG
✓ TAGGA
✓ AGGAC
✓ GGACT
✓ GACTT

GTAG**TAG**TT
|||| | ||
GTAGGACTT

Output: **TGGTAG**GAC**TTACGA**

$$\mathcal{O}(\text{set access}) = M + \mathcal{O}(2 \times (K+M))$$